

At first perform operation on the left side of the equation $-4(x-2)(x+3)-5x^2-4$

Find type of expression on the left side

left side has the form of the multiplication of the polynomials by factor $a(bx+c)(dx+e)+fx^2+gx+h$

Find meaning of the terms to perform multiplication of polynomials

$$-4(x-2)(x+3)-5x^2-4$$

$(x-2)(x+3)$ are polynomials that need to be multiplied

-4 is the coefficient by which result of multiplication of polynomials is multiplied $-4(x-2)(x+3)$

$-5x^2-4$ are terms that need to be combine with like terms of the result of multiplication.

Perform operation on the left side of the equation following steps

1. multiply polynomials $(x-2)(x+3)$
2. multiply monomial by polynomial the result of multiplication in the first step $-4(x-2)(x+3)$
3. insert the result of multiplication $[R]$ into equation $-4(x-2)(x+3)-5x^2-4=[R]-5x^2-4$
4. simplify the result of multiplication by combining like terms

1. multiply polynomials $(x-2)(x+3)$

find number of terms in each polynomial to be multiplied

each polynomial has two terms so this is the case multiplying a binomial by binomial $(a+b)(c+d)$

binomial is an expressions with two terms

multiplying a binomial by a binomial is to use the mnemonic **FOIL**

FOIL means to follows the order with which you multiply terms in the binomials. $(a+b)(c+d)$

F is for first Multiply the first terms of each binomial. $([a]+b)([c]+d)$ gives the term **ac**

O is for outer. Multiply the outer terms of each binomial $([a]+b)(c+[d])$ gives the term **ad**

I is for inner. Multiply the inner terms of each binomial $(a+[b])([c]+d)$ gives the term **bc**

L is for last. Multiply the last terms of each binomial $(a+[b])(c+[d])$ gives the term **bd**

multiply a binomial by a binomial $(x-2)(x+3)$

at first multiply the first terms of each binomial

$$(x-2)(x+3) \text{ gives the term } x*x=x^2$$

multiply the outer terms of each binomial

$$(x-2)(x+3) \text{ gives the term } x*3=3x$$

multiply the inner terms of each binomial

$$(x-2)(x+3) \text{ gives the term } -2*x=-2x$$

multiply the last terms of each binomial

$$(x-2)(x+3) \text{ gives the term } -2*3=-6$$

the result of multiplication of polynomials $(x-2)(x+3)$ is polynomial $x^2+3x-2x-6$

find and combine like terms in polynomial $x^2+3x-2x-6$

like terms are grouped in the brackets $[x^2][3x-2x][-6]$

add or subtract like terms in each bracket

note that adding or subtracting like terms is to add or subtract factors e.g $[3x^3+4x^3]=[(3+4)x^3]=7x^3$

perform operation in like terms x^2 $[x^2]$

only one factor in bracket x^2

$$x^2$$

perform operation in like terms x $[3x-2x]$

$$[3x-2x]=(3-2)x=x$$

$$x$$

perform operation in like terms $[-6]$

only one factor in bracket -6

$$-6$$

the result of combining like terms is x^2+x-6

2. multiply the result of multiplication x^2+x-6 by monomial -4

$$-4(x-2)(x+3) = -4(x^2+x-6)$$

multiply each term in the polynomial (in parenthesis) (x^2+x-6) by monomial -4
expression in parentheses has 3 terms

multiplying a polynomial by a monomial is to use the distributive property of multiplication *
that is to multiply each term in the polynomial by the monomial eg. $a(b+c+d+e) = ab+ac+ad+ae$

multiply coefficients $-4*1 = -4$ add factors $0+2=2$ $-4*x^2 = -4x^2$

multiply coefficients $-4*1 = -4$ add factors $0+1=1$ $-4*x = -4x$

multiply coefficients $-4*-6 = 24$ add factors $0+0=0$ $-4*-6 = 24$

the result of multiplication is the polynomial $-4x^2-4x+24$

3. insert the result of multiplication into equation $-4(x-2)(x+3)-5x^2-4$

$$-4(x-2)(x+3)-5x^2-4 = -4(x^2+x-6)-5x^2-4 = -4x^2-4x+24-5x^2-4$$

4. simplify the result of multiplication by combining like terms $-4x^2-4x+24-5x^2-4$

find and combine like terms in polynomial $-4x^2-4x+24-5x^2-4$

like terms are grouped in the brackets $[-4x^2-5x^2]$ $[-4x]$ $[24-4]$

add or subtract like terms in each bracket

note that adding or subtracting like terms is to add or subtract factors e.g $[3x^3+4x^3] = [(3+4)x^3] = 7x^3$

perform operation in like terms x^2 $[-4x^2-5x^2]$

$$[-4x^2-5x^2] = (-4-5)x^2 = -9x^2$$

perform operation in like terms x $[-4x]$

only one factor in bracket $4x$ $-4x$

perform operation in like terms $[24-4]$

$$[24-4] = (24-4) = 20$$

the result of combining like terms is polynomial $-9x^2-4x+20$

The result of performing all operations on the left side of equation $3x-4(x-2)(x+3)-5x^2-4$
is the polynomial $-9x^2-4x+20$

Insert this result into equation

$$-9x^2-4x+20 = -5x(2x-3)+5x^2-3$$